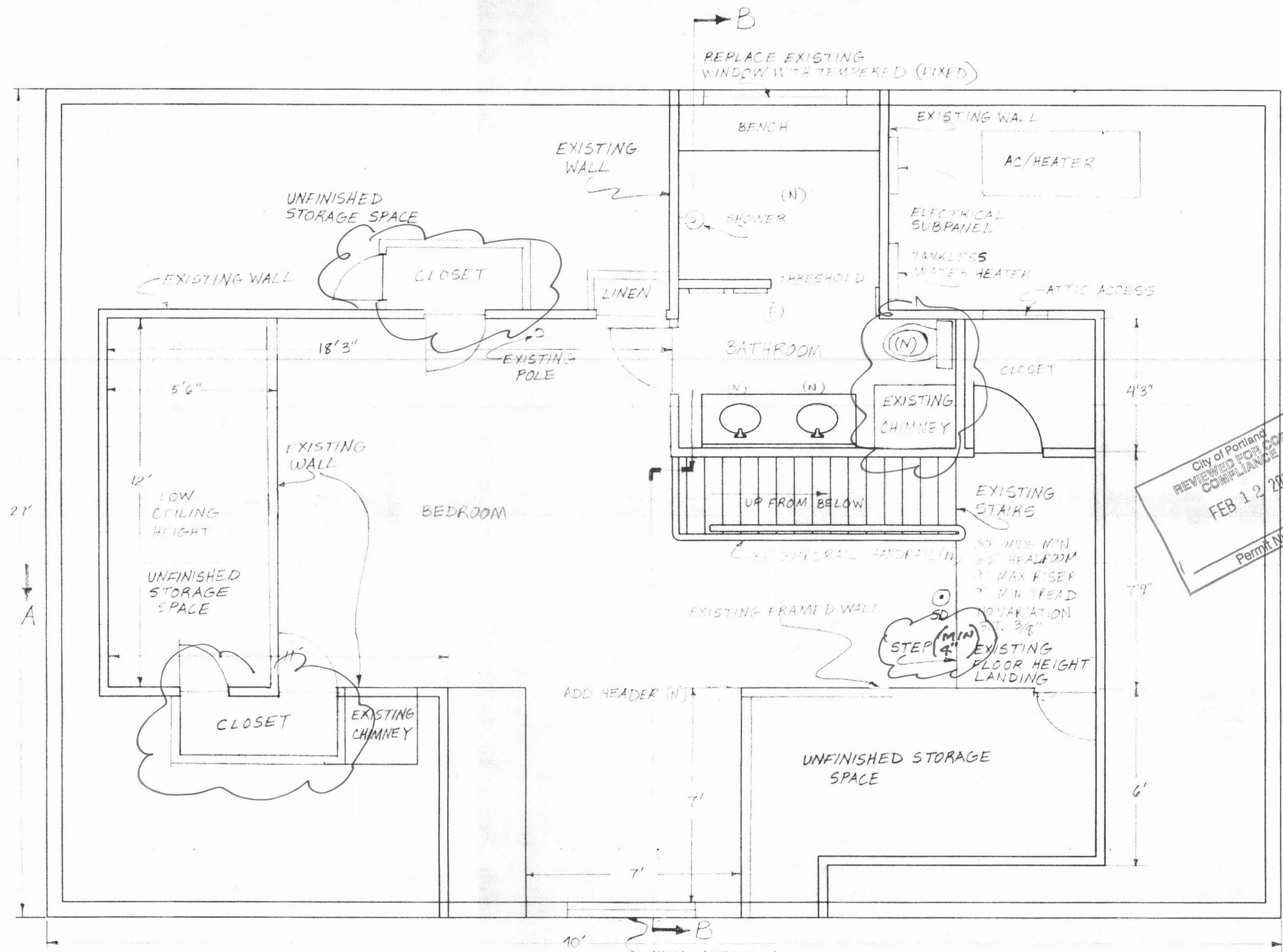


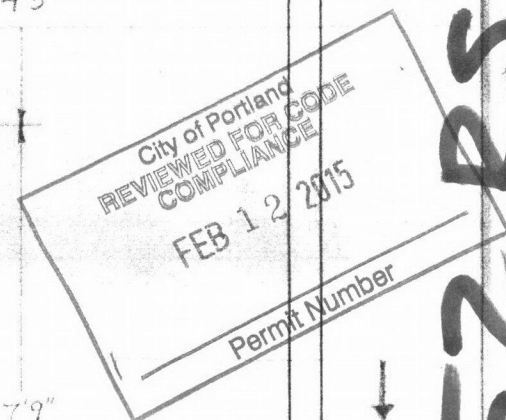


INSULATE R-15 @ (F) 2x4

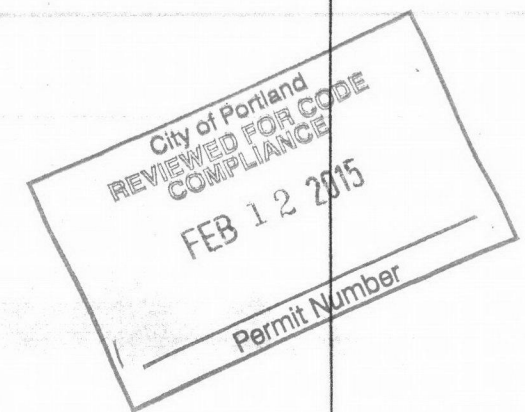
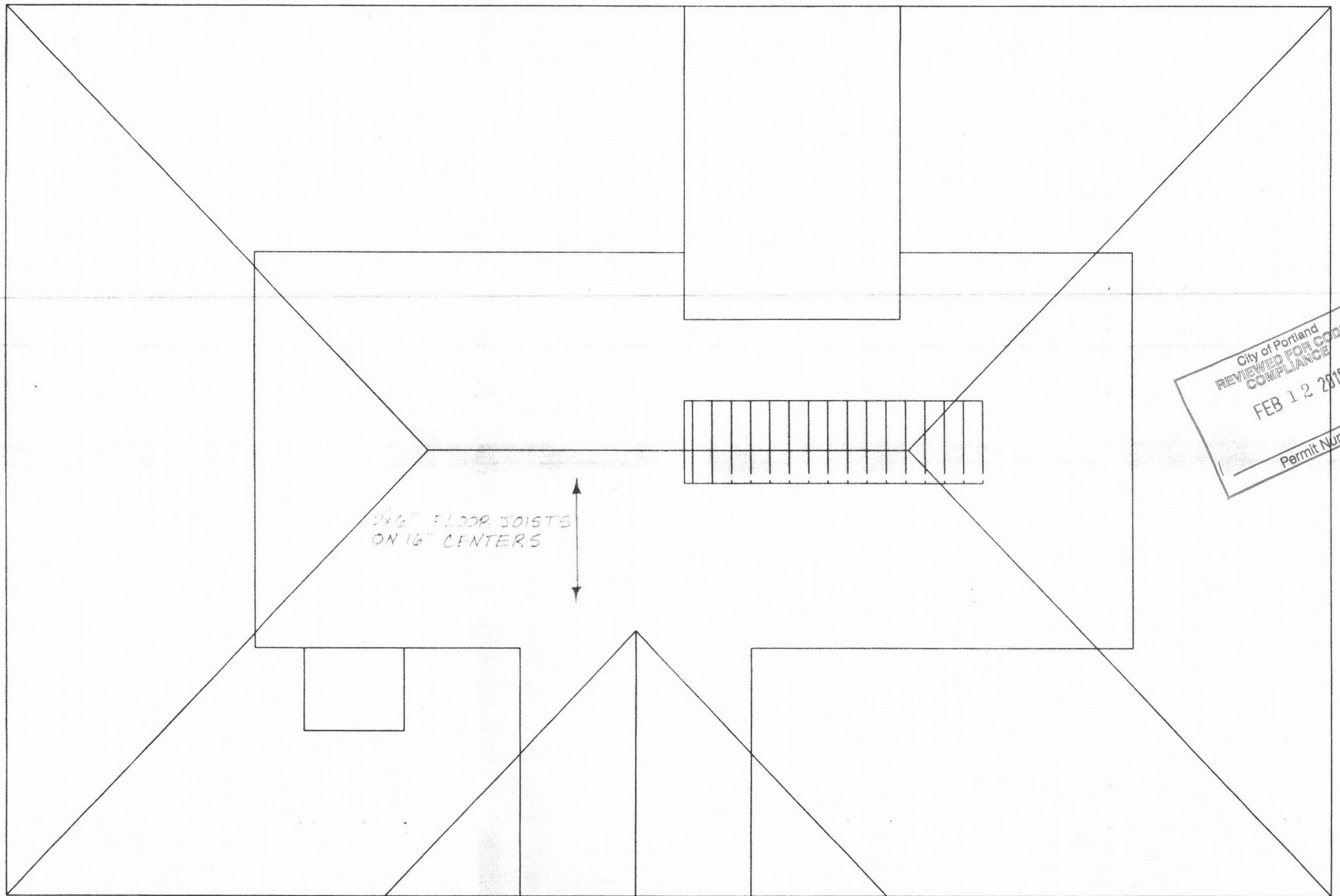
ATTIC FLOOR PLAN

NEW WINDOW IN
EXISTING 4'6" OPENING x 4'0"
WITH EXISTING EGRESS
CASEMENT U-VALUE .35
OR BETTER

MUNRO
10807 NW 2ND ST.

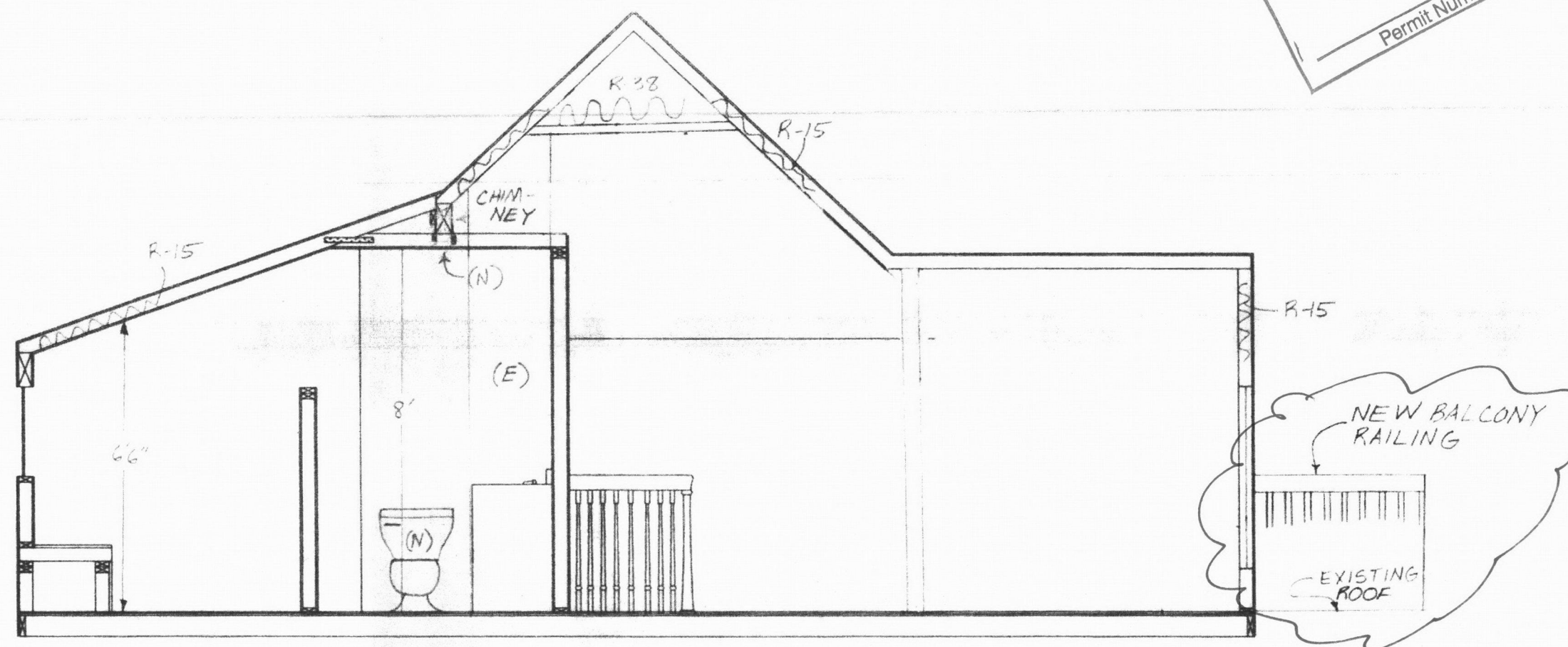


10-102052RS REV 01 2



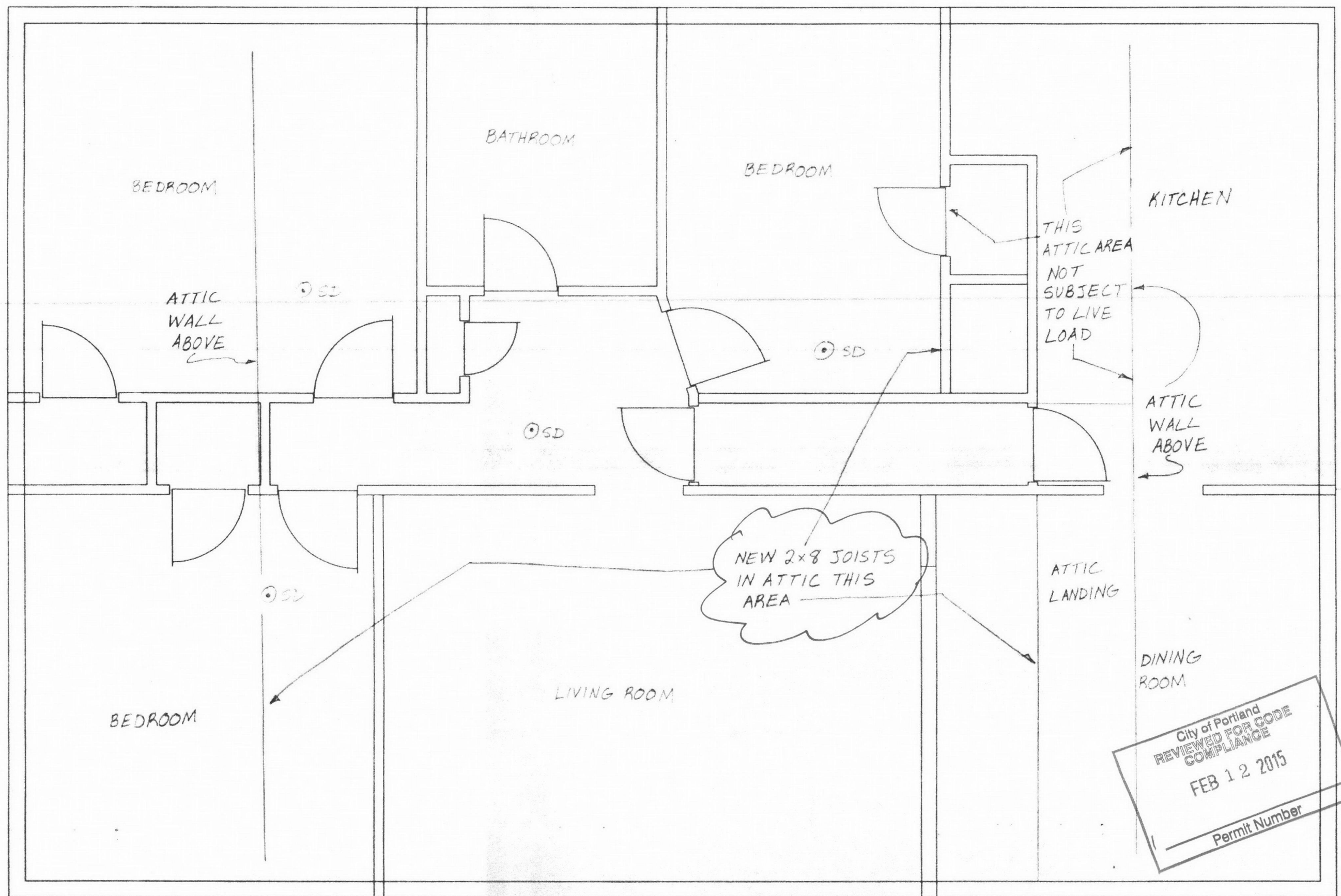
ROOFLINE

MUNRO
10807 NW 2ND ST



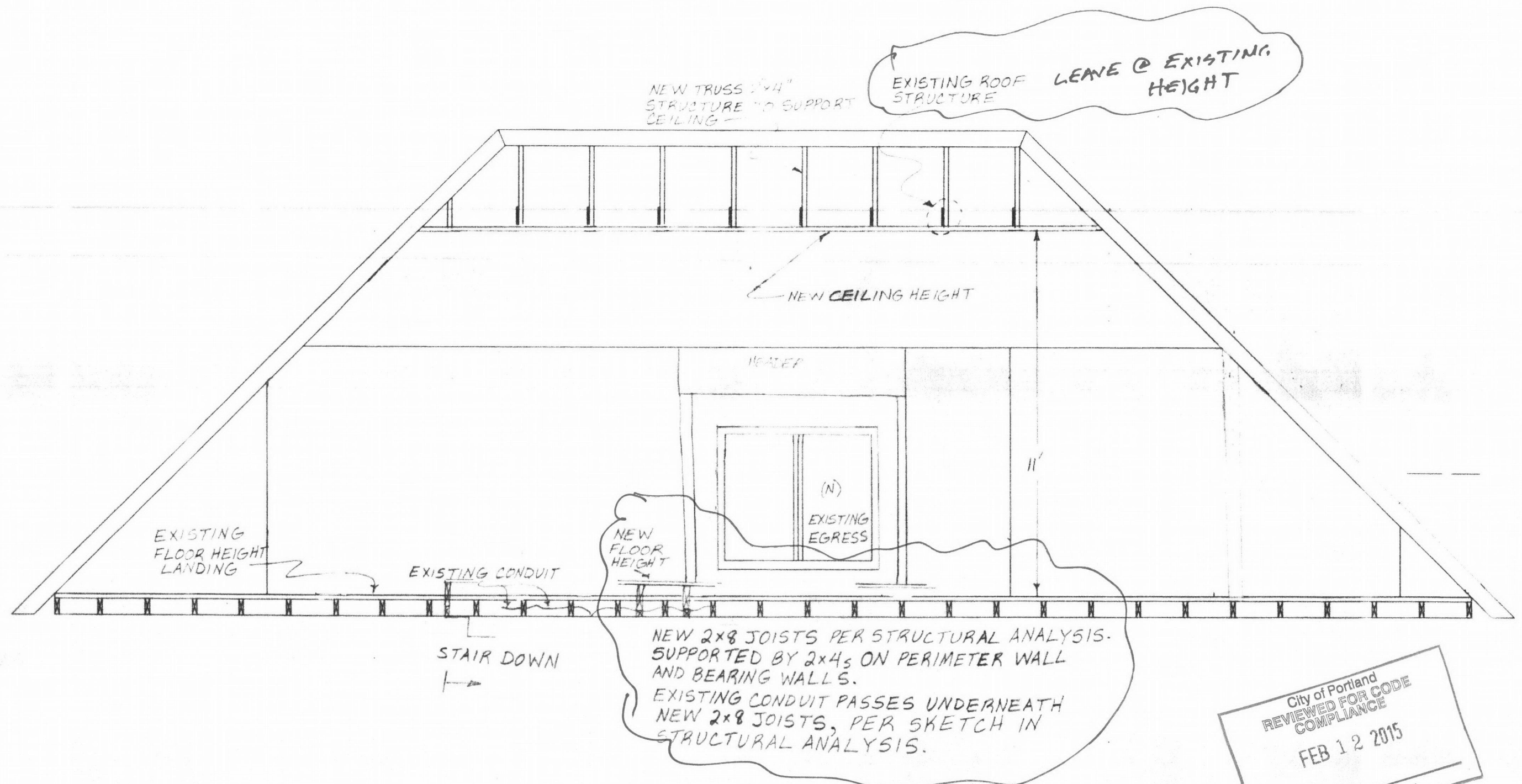
SECTION B-B

MUNRO
10307 NW 2ND ST



EXISTING LOWER FLOOR

MUNRO
10807 NW 2ND ST

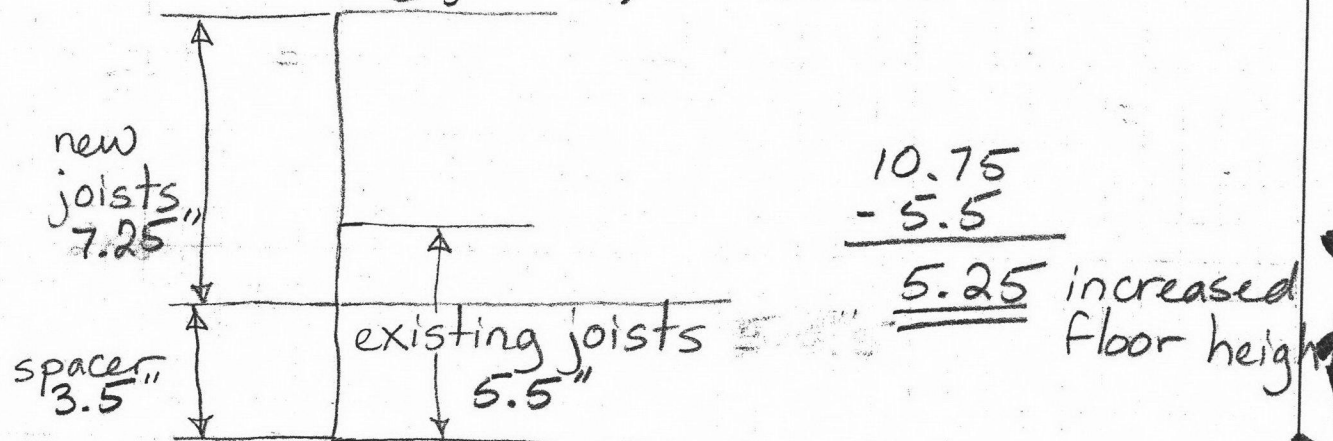


SECTION A-A

City of Portland
 REVIEWED FOR CODE
 COMPLIANCE
 FEB 12 2015
 Permit Number

MUNRO
 10507 NW 21st ST

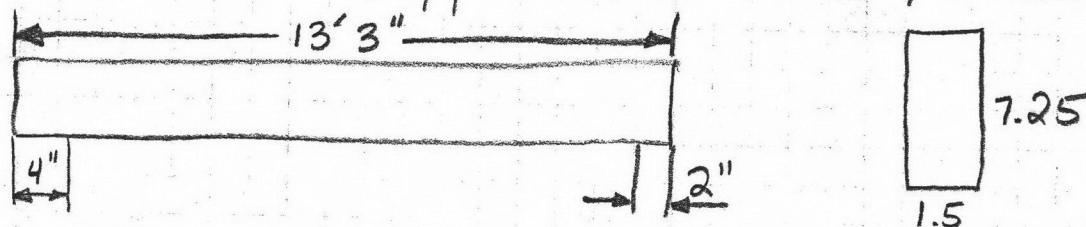
Impact of installing new 2x8 joists midway between existing joists, 16" on center.



Dimensional lumber 2" x 8" = 1.5" x 7.25"

16" span = 1.33 ft span

Floor is 13'3" supported 6" $\Rightarrow$ 12'9" = 12.75 ft



$$\text{Live load (LL)} = 40 \text{ lb/ft}^2 \times 1.33 \text{ ft} = 53.3 \text{ lb/ft}$$

$$\text{Dead load (DL)} = 10 \text{ lb/ft}^2 \times 1.33 \text{ ft} = 13.3 \text{ lb/ft}$$

$$\text{Total} = \underline{\underline{66.7 \text{ lb/ft}}} = w$$

$$\text{Bending strength, } \sigma \text{ or } F_b = \frac{Mc}{I} = \frac{M}{S}$$

$$M = \frac{wL^2}{8} \text{ for simply supported}$$

$$M = \frac{66.7 \text{ lb/ft} (12.75 \text{ ft})^2}{8} = 1355 \text{ ft} \cdot \text{lb} \times \frac{12 \text{ in}}{\text{ft}} = 16,264 \text{ in} \cdot \text{lb}$$

$$S = \frac{1}{6} bh^2 = \frac{1}{6} (1.5 \text{ in}) (7.25 \text{ in})^2 = 13.14 \text{ in}^3$$

$$F_b = \frac{M}{S} = \frac{16,264 \text{ in} \cdot \text{lb}}{13.14 \text{ in}^3} = \underline{\underline{1238 \text{ psi}}}$$

Allowable Stress, F_b'

Occupancy = residential

Wood Grade = No. 2 Doug Fir

Base value = 900 psi

Adjustments that do not equal 1.0:

Size, $C_F = 1.20$ (Table A)Repetitive Use, $C_r = 1.15$ B

$$F_b' = (900 \text{ psi})(1.20)(1.15) = \underline{1242 \text{ psi}}$$

$$F_b (1238 \text{ psi}) < F_b' (1242 \text{ psi}) \quad \underline{\underline{OK}}$$

Shear Strength, F_v

$$V_{\max} = \frac{wL}{2} = 66.7 \frac{\text{lb}}{\text{ft}} \times 12.75 \text{ ft} / 2 = 425 \text{ lb}$$

$$F_v = \tau = \frac{3}{2} \cdot \frac{V}{bh} = \frac{3}{2} \left(\frac{425 \text{ lb}}{(1.5 \text{ in})(7.25 \text{ in})} \right) = \underline{58.6 \text{ psi}}$$

$$\text{Base value} = 180 \text{ psi} \quad \underline{\underline{OK}}$$

Bearing Strength, $F_{c\perp}$

$$P = \frac{wL}{2} = \frac{(66.7 \text{ lb/ft})(13.25 \text{ ft})}{2} = 442 \text{ lb}$$

$$F_{c\perp} = \frac{P}{bh} = \frac{442 \text{ lb}}{(1.5 \text{ in})(3.5 \text{ in}) \leftarrow 2 \times 4} = \underline{84.2 \text{ psi}}$$

$$\text{Base value} = 625 \text{ psi} \quad \underline{\underline{OK}}$$

Deflection, δ $E = 1.6 \times 10^6 \text{ psi}$ for No 2 DF

For $LL = 40 \text{ lb/ft} \times 2$, $\delta_{\max} < \frac{L}{360}$

$L = 12.75 \text{ ft} = 153 \text{ in}$

For simply supported beam, $\delta_{\max} = \frac{5}{384} \cdot \frac{wL^4}{EI}$

$$\delta = \frac{5}{384} \cdot \frac{53.3 \text{ lb/ft} \times \frac{1 \text{ ft}}{12 \text{ in}} (153 \text{ in})^4}{1.6 \times 10^6 \text{ lb/in}^2 \times \frac{1.5 \text{ in} (7.25 \text{ in})^3}{12}} = \underline{\underline{.405 \text{ in}}}$$

$$\delta_{\max} = \frac{L}{360} = \frac{153 \text{ in}}{360} = .425 \text{ in}$$

$\delta (.405 \text{ in}) < \delta_{\max} (.425 \text{ in})$ OK

Citations

Hibbeler, "Mechanics of Materials", 9th Ed

"Western Lumber Product Use Manual: Base Values"
Western Wood Products Assoc. 2008