### **Development Services**

#### From Concept to Construction



Phone: 503-823-7300 Email: bds@portlandoregon.gov 1900 SW 4th Ave, Portland, OR 97201 More Contact Info (http://www.portlandoregon.gov//bds/article/519984)

Statuce Mixed Decision	Itom 1: Hold for Additional Informati	on Itom 2: Decision Rondorod		
	i. Item 1: Hold for Additional Informati			
Appear ID: 27515		Project Address: 14355 N Bydee Lake Ct		
Hearing Date: 2/16/22		Appellant Name: Stephen Curtis		
		Appellant Phone: 503.415.2364		
Appeal Type: Building		Plans Examiner/Inspector: Catherine Heeb		
Project Type: commerc	lal	Stories: 1 Occupancy: B Construction Type: V-B		
Building/Business Nan	ne:	Fire Sprinklers: No		
Appeal Involves: Erecti	ion of a new structure	LUR or Permit Application No.: 21-112627-CO		
Plan Submitted Option 4]	: pdf [File 1] [File 2] [File 3] [File	Proposed use: Dog Kennel		
APPEAL INFORMA	TION SHEET			
Appeal item 1				
Code Section	2021OEESC/Adopted AHRAE - See	ction 5.1.2.3, Exception 1		
Requires	A space may be designated as either a semiheated or an unconditioned space only if approved by the building official.			
Code Modification or Alternate Requested	With all building envelope requirements from Table 5.5-4 being met or exceeded and heating capacity being below maximum, Building Official approval is being requested to grand the exception to consider the building a semiheated space.			
Proposed Design	The proposed mechanical system ca than 8 BTU/h*ft2 per table 3.2. This of providing adequate comfort to car	an heat the building up to a ?T of 86 degrees while using less temperature variation of outside to inside is more than capable nines and humans alike.		
Reason for alternative	re Given the occupants of the building are going to be canines and not fully occupied at all times, as well as providing dog doors for the dogs to freely enter and exit the building in their respective spaces, there is no necessity to fully heat the space.			
	Calculations were done by the mech submittals to prove that the selected table 3.2.	nanical engineer and shown in the attached mechanical units require less energy than the required 8 BTU/h*ft2 per		
Appeal item 2				
Code Section	2021 OEESC/Adopted ASHRAE 90.	.1-2019 – Section 5		
Requires	Table 5.5-4 requirements for a semiheated space are walls with a minimum insulation R-value of $R_{-13}$ and attic roofs with a minimum of $R_{-30}$ . Fenestrations, such as non-opeque entrance decre			

require a maximum U-Value of U-0.77.

Code Modification orWith all other building envelope requirements being met or exceeded, grant exception for dogAlternate Requesteddoors on the exterior of the building without a labelled U-value.

Proposed Design The attached California Polytechnic State University independent study compares the thermal resistance of three manufacturers of dog doors. Page 13 of the report indicates the thermal resistance capabilities of three different dog doors. The study is intended to prove the thermal resistance superiority of one brand of dog door, but ultimately shows that all three of them meet the maximum u-value requirements of Table 5.5-4.

According to the study, the R-value of the lowest rated door system is 2.42. To find the U-value, we find the inverse, or divide 1 by the R-value, which gives the single door system a value of 0.41. This is much lower than half of the maximum value of 0.77.

The study demonstrates how the resistance to heat transfer is more about convection at the surfaces rather than conduction through the door. The aggregate of dogs doors will be less then the required 40% of the wall per table 5.5-4

Reason for alternative Providing a dog door that is not manually opened and closed (guillotine style) by a human that allows the dog to freely go from the interior to the exterior of the building helps provide mental and physical health requirements for the dog while staying in the kennel. Using these dog doors, even though they don't have a listed u-value rating from the manufacturer, still meets the goal of energy conservation by meeting or exceeding the minimum requirements in Table 5.5-4.

#### APPEAL DECISION

1. Determination of dog kennel as a semi-heated space: Hold for additional information. See note below regarding the process for submitting additional information.

2. Installation of dog doors without a labeled U-value: Granted as proposed.

## Appellant may contact John Butler (503 865-6427) or e-mail at John.Butler@portlandoregon.gov with questions.

For Item 1: Additional information is submitted as a no fee reconsideration, following the same submittal process and using the same appeals form as the original appeal. Indicate at the beginning of the appeal form that you are filing a reconsideration and include the original assigned Appeal ID number. The reconsideration will receive a new appeal number.

Include the original attachments and appeal language. Provide new text with only that information that is specific to the reconsideration in a separate paragraph(s) clearly identified as "Reconsideration Text" with any new attachments also referenced. Once submitted, the appeal cannot be revised. No additional fee is required.

For Item 2: The Administrative Appeal Board finds that the information submitted by the appellant demonstrates that the approved modifications or alternate methods are consistent with the intent of the code; do not lessen health, safety, accessibility, life, fire safety or structural requirements; and that special conditions unique to this project make strict application of those code sections impractical.

Pursuant to City Code Chapter 24.10, you may appeal this decision to the Building Code Board of Appeal within 90 calendar days of the date this decision is published. For information on the appeals process, go to www.portlandoregon.gov/bds/appealsinfo, call (503) 823-7300 or come in to the Development Services Center.







## **SUBMITTAL SHEET**

Job Name: BLHC Kennels	Submitted By:	Date:
Location: Portland, OR		
Architect: Otak Architects, Inc.		
Engineer:	Approved By:	Date:
Contractor: Hunter-Davisson, Inc.		
Submitted By:		
King Contact:		
Austra Olden al attila ann		

Quotes@king-electric.com

Date: 2/9/2022

Tag	Qty	Item Number	Watts	Volts	PH	Amps	Weight
CH-1	2	WHFC1215	750	120	1	6.3	8
			<u></u>				

### Accessories

Tag	Qty	Item Number

Small Kennel Room: 347 SF x 8 Btuh/SF = 2,776 Btuh 2,776 Btuh / 3413 = 0.813 kW MAX 0.750 kW < 0.813 kW

## **Ceiling Heater** WHFC Series



- Nichrome open-coil element
- C-Frame motor
- Squirrel cage blower Dual wattage
- Patented Smart Limit Protection<sup>®</sup>
- Whisper quiet ■ Recess can with QuickSet<sup>™</sup> stops
- Ceiling mount Powder coated grill
  - Standard color: white (almond optional)
  - 3 -year limited warranty







### The WHFC Ceiling Heater

This value-priced ceiling heater provides all of the features offered by the original WHF but adds the benefits of a ceiling mounted design. Its extreme value comes from combining the rapid heat transfer of a NiChrome element with the performance of a squirrel cage blower.

Ordering Information \*Add suffix -W for White Grill or -A for Almond Grill color

	MODEL	VOLTS	WATTS	AMPS	SHIP WEIGHT Ibs
	WHFC1210	120	500 • 1000	4.2-8.4	8 lbs
120V	WHFC1215	120	750 • 1500	6.3-12.5	8 lbs
2081/	WHFC2010	208	500 • 1000	2.4-4.8	8 lbs
2000	WHFC2015	208	750 • 1500	3.6-7.2	8 lbs
2101/	WHFC2410	240/208*	500 • 1000	2.1-4.2	8 lbs
2400	WHFC2415	240/208*	750 • 1500	3.1-6.3	8 lbs

\*Dual rated heaters will draw 13% less amps and 25% less wattage when operated at 208V.

#### **Options / Accessories**

ADD SUFFIX		DESCRIPTION	SHIP WEIGHT Ibs
-W		White Color	
-A		Almond Color	
-		Interior and Grill Only (no wall can)	6.0
-H		Heat Box Only (no wall can)	5.0
MODEL	UPC	DESCRIPTION	SHIP WEIGHT Ibs
DS15	13824	Disconnect Switch, Field Installed Kit (10A/ 240V / 15A/120V)	0.5
WHIC-C	12650	Ceiling Recess Can	3.5
WHSC-C-W	12230	Surface Can - White	4.0
WHFG	12520	Grill - White	2.0
WHFC T-Bar Panel	12133	T-Bar Panel	4.0

#### Engineering Specifications

Contractor shall supply and install WHFC Series ceiling-mounted forced-air electric heaters manufactured by King Electrical Mfg. Company. Heaters shall be of the wattage and voltage as indicated on the plans.

Ratings: Heaters shall be available in wattages of 500 to 1,500 at 120, 208, or 240 Volts.

Blower and Motor: A tangential cylindrical blower, delivering 70 CFM, shall be driven by a shaded pole, permanently lubricated, C-frame type motor with impedance protection and sealed bearings. Motors shall be the same voltage as the heater. The motor and all wiring shall be totally isolated from the heating chamber for protection from heated air.

Elements: Element assemblies shall be constructed of coiled Nickel Chromium alloy, corrosion resistant wire strung through a minimum of four rows of mica insulator. Element assemblies shall have factory provided connection to allow field modification to 50% wattage at time of installation.

Thermal Overload: Heaters shall be equipped with King's patented thermal overload Smart Limit Protection®, which disconnects elements and motor in the event normal operating temperatures

are exceeded. If thermal overload trips due to abnormal operating temperatures, thermal overload shall remain open until manually reset by turning the heater off for 15 minutes. Automatic reset of thermal overloads, which allow the element to continue to cycle under abnormal conditions, will not be accepted. U.S. PATENT #6,748,163 B2 • CIPO PATENT #2,393,882

Ceiling Surface Can: The can shall be 20 gauge electrogalvanized steel and shall contain knockouts. The can shall be provided with a depth gauge, extending the full length of the can. The can shall be supplied with a factory installed groundwire.

**Grill:** The grill shall be a louvered, one-piece design with rounded edges on all four sides, with rounded corners to prevent snags from contact with other materials. The grill shall be epoxy powder-coated in the color specified by manufacturer. Approvals: cULus (E41422)



## Ceiling Heater WHFC Series







## **SUBMITTAL SHEET**

Job Name: BLHC Kennels	Submitted By:	Date:
Location: Portland, OR		
Architect: Otak Architects, Inc.		
Engineer:	Approved By:	Date:
Contractor: Hunter-Davisson, Inc.		
Submitted By:		
King Contact:		
Austra Olden alestela ann		

Quotes@king-electric.com

Date: 2/9/2022

Tag	Qty	Item Number	Watts	Volts	PH	Amps	Weight
UH-1	2	KBP1230	950	120	1	8	26
	·						
	<u> </u>						

### Accessories

Tag	Qty	Item Number

Large Kennel Room: 417 SF x 8 Btuh/SF = 3,336 Btuh 3,336 Btuh / 3413 = 0.977 kW MAX 0.950 kW < 0.977 kW

## Compact Unit Heater KBP Series





- Pic-A-Watt<sup>®</sup> element
- Multiple wattage selection
- Long life cast iron motor
- Aluminum fan blade
- High accuracy built-in thermostat
- Powder-coated, textured finish
- Fan delay

range of wattage options, tailoring the heater to an area's specific heating requirements.

- Patented Smart Limit Protection<sup>®</sup>
- Universal (wall/ceiling) mounting bracket
- Selector switch—fan/heat/off
- Standard color: almond
- 5-year limited warranty

### Multiple Wattage Unit Heater

**The KBP is the industry standard for multi-wattage garage / shop heaters.** Designed for rugged performance, the flow-through design efficiently moves air by pulling air from the back of the heater and discharges it out the front, easily heating a large space. With high quality components suitable for both residential and commercial applications, it comes standard with a 3-position switch and an accurate built-in thermostat. The integral fan delay continues to dissipate heat from the elements during the cool down period, maximizing the heat exchange in the room. King's exclusive dual Pic-A-Watt steel fin elements allow customers to select from a

#### **Ordering Information**

MODEL	UPC	VOLTS	PHASE	WATTAGE	AMPS	WEIGHT (lbs.)
KBP1230	15191	120	1	2850-1900-950	24-16-8	26
KBP2406*	15190	240/208*	1	5700-4750-3800-2850-1900-950	24-20-16-12-8-4	24
KBP2006-3MP**	15193	208*	1-3	5700-2850	27-15	26
KBP2406-3MP**	15188	240/208*	1-3	5700-2850	24-14	25
KBP2704	15187	277	1	4000-3000-2000-1000	14	26
KBP4804-3MP**	15196	480***	1-3	4160	9-5	26
KBP4806-3MP**	15197	480***	1-3	6000	13-8	26

\*Approved for 208V operation. Heater will draw 13% less Amps and 25% less wattage \*\*3-Phase units do not have Heat / Fan / Off \*\*\*480 Volt models are 24 Volt control Minimum clearance from combustibles: 18" from front, 2" from top, 6" from sides and 5" from rear. Minimum clearance 6' from floor.

#### **Engineering Specifications**

only operation.

Contractor shall supply and install KBP Series unit heaters manufactured by King Electrical Mfg. Company. Heaters shall be of the wattage and voltage as indicated on the plans.

**Pic-A-Watt Heating Element:** Exclusive King multi-tap element allows field adjustment to several wattages at time of installation. Steel sheath elements of various resistance are copper brazed to steel plate fins producing a multi-wattage heating element.

**Built-in Thermostat:** Single pole factory installed hydraulic capillary tube thermostat for precision heating control. Operating range 40° to 90° F. **Fan/Heat/Off Switch:** 3-position switch provides heating and summer fan

**Fan Delay Switch:** The fan continues to operate after the thermostat shuts off in order to remove the residual heat left in the elements. Power must not be interrupted.

#### **CFM:** 270

**Universal Mounting Bracket:** Combination ceiling/wall bracket is included with every heater.

**Unit Bearing Motor:** Permanently lubricated, long life, unit bearing 4-Pole motor with 20 cc of oil. Enclosed rotor provides long-lasting, trouble-free operation. Thermally protected. 1300 RPM.

**Electrically Held Smart Limit Protection:** Heater shuts off when an over temperature condition exists and automatically resets when the normal operating temperature returns. **Tested:** UL 2021

Approval: cCSAus

# **Pic-A-Watt** Compact Unit Heater KBP Series

#### **Accessories**

MODEL	UPC	PHASE	WEIGHT	(lbs.)
KBP-K1	15198	6 ft. cord/handle kit - 120V, 1-Phase, 30 Amp (Receptacle not inc	uded. See below)	2
KBP-K2	15199	6 ft. cord/handle kit - 240V, 1-Phase, 30 Amp (Receptacle include	d. See below)	2





## Energy Performance Study of Endura Flap Pet Door and Comparison to Two Competitors

by

Daniel J. Keene Glen E. Thorncroft Andrew J. Kean

Mechanical Engineering Department California Polytechnic State University San Luis Obispo

August 12, 2005

Submitted to: Patio Pacific, Inc. 874 via Esteban #D San Luis Obispo, CA 93401

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Appendix A: Outline of the Thermal Models and Analysis:	
A.1 Ideal Pet Door	Appendix A1.pdf
A.2 Pet Safe Classic	Appendix A2.ndf
A.3 Patio Pacific	Appendix A3.pdf
Encel Carrondohoot Eilen	
Excel Spreadsheet Files:	
wind impingement Calculations	wind Load on Pet Door.xls
Thermal Model Solutions	Thermal Model Solutions.xls
Test Data: Test Data at Low Temp.xls; Test Data at Room Temp.xls	; Test Data at High Temp.xls

#### 1. Introduction

This report describes an analytical and experimental energy study of the Patio Pacific Endura Flap Pet Door. The purpose of the study is to assess the pet door's heat transfer characteristics (i.e., its resistance to energy loss due to *conduction* heat transfer), and its resistance to air leakage (*infiltration*). The performance of the Endura Flap Pet Door is also compared to that of two leading competitors, the Pet Safe Classic and the Ideal pet doors. One aim of the analysis and experimental study is to identify and quantify some of the leading mechanisms that control energy loss through the pet doors.

The first mechanism of energy transfer is when heat conducts through the door, neglecting any air that may be leaking across the door seal. We refer to this mechanism as conduction, although the movement of air along the inside and outside surfaces (convection) also influences the energy transfer across the door. (In fact, in the case of the Endura Flap, air trapped in the chambers of the door could also circulate within the chamber, although this study will show that the effect is negligible.) This mechanism can be modeled effectively using standard heat transfer analysis and empirical correlations, and so this portion of the study does not require experiments.

The second mechanism of energy loss occurs when the pet door is subjected to winds or a pressure difference across the door that causes air to leak along its perimeter. This leakage expends energy because the outside air that leaks in must now be brought to the temperature of the air inside the home. This mechanism is not accurately predicted using analytical techniques, and so an experimental method has been developed to quantify this effect.

The objectives of this work are therefore as follows:

- 1. To predict the energy losses occurring as a result of the heat transfer across the door. This is accomplished using a detailed analytical model for each of the pet doors.
- 2. To determine the leakage through the perimeter that occurs as a result of wind or pressure difference. This is accomplished experimentally; an apparatus has been developed to test each door over a range of pressure differences that correspond to typical wind loads.
- 3. To determine the sealing ability of each pet door by measuring when the flap completely breaks its seal with the frame as the pressure difference across the door is increased.

#### 2. Heat Transfer Analysis

#### 2.1 Background

Heat transfer occurs whenever a finite temperature difference exists. This means that when a home is maintained at a comfortable temperature while it is relatively cold outside, energy will transfer out of the home through the walls. A greater difference between the inside and outside temperatures leads to a greater rate of energy loss. For the simplest case of onedimensional heat transfer, the following relationship describes the energy loss:

$$q = \frac{\Delta T}{R} \quad , \tag{2.1}$$

where q is the heat transfer rate (W),  $\Delta T$  is temperature difference (°C or K), and R is the resistance to heat transfer (K/W).

Neglecting air leakage through the door, the energy loss is due to the heat that transfers through the walls. The resistance to heat transfer, R, measures the insulating ability. As seen in Equation 2.1, high values of R are indicative of good insulation, while low values are indicative of poor insulation. These values depend on factors such as the material properties and the geometry.

Another form of this relationship deals with the quantities on a per unit area basis:

$$q'' = \frac{\Delta T}{R''} \quad , \tag{2.2}$$

where

q'' is the heat transfer rate per unit area: q/A (W/m<sup>2</sup>), A is the cross-sectional area through which the heat transfers (m<sup>2</sup>), and R'' is the resistance to heat flux (K·m<sup>2</sup>/W).

This form is often used to report the insulating performance of common building materials because it is not dependent on the area of heat transfer, making it easier to compare the performance of different components. It is the quantity R'' that is often referred to when an R-value is being reported.

In order to gauge the different insulating abilities, a resistance for each door must be obtained. However, for the purpose of comparing the pet doors, it makes more sense to report the value for R rather than R''. This is because the area of the doors does vary from model to model, and this variation in the area will have an impact on the energy loss. If the customary R-value is desired, it can be easily calculated using the following equation:

$$R'' = R \times A \tag{2.3}$$

#### 2.2 One-Dimensional Analysis of Ideal and Pet Safe Classic Doors

At this point, it is important to understand the fundamental aspects of how the heat transfer is being modeled without dealing too heavily with the intricacies of the analysis. To see the details omitted here, the reader is referred to Appendix A.

Creating the models begins with considering how the heat is transferring through the doors. The doors themselves are taken as two-dimensional plane surfaces. With the effects of the radiation mode being negligible, the symmetry of the doors leads to the one-dimensional heat transfer situation shown in Figure 2.1.



Figure 2.1. Pictorial Representation of the One-Dimensional Heat Transfer (Reprinted from Reference [1]).

Here, convection occurs at the inside surface, where heat moves from the air into the pet door. Then, it conducts through the pet door material from the inside surface to the outside surface. Lastly, convection at the outside surface transfers the heat from the pet door material to the outside air.

This situation lends itself extremely well to the thermal resistance network approach. This approach involves applying Equation 2.1 to each of the heat transfer processes individually, and then assembling these individual pieces together. After obtaining expressions for the resistance to heat transfer associated with convection at the inside surface, conduction through the door material, and convection at the outside surface, these are assembled into the thermal resistance network shown in Figure 2.2.



Figure 2.2. Thermal Resistance Network Used to Model the Competitor Pet Doors.

Because the three resistances are in series with one another, they add together to yield the total resistance to heat transfer. Because all of the doors follow this pattern, Equation 2.1 applies to each of them, with the total resistance in that equation being

$$R_{tot} = R_{conv,in} + R_{door} + R_{conv,out} , \qquad (2.4)$$

where

 $R_{conv,in}$  is the inside surface convective resistance,  $R_{door}$  is the resistance of the door, and  $R_{out}$  is the outside surface convective resistance.

As the product designs made appropriate, the doors were divided into multiple pieces for analysis, as seen in Figure 2.3, where each color represents a component of the door. For all doors, the door frame was ignored on the analysis.



Figure 2.3. Diagram of Components Used for Modeling the Pet Safe and Ideal Pet Doors.

This allowed individual expressions to be obtained for the conduction through the center, edges, and bottom of the door. Then, these three pieces were assembled into a thermal resistance network model. Because each piece is a separate resistance (path) for the heat to move through, the resistances are placed in parallel with one another, as shown in Figure 2.4.



Figure 2.4. The Network used to Model the Resistance of the *Pet Safe* and *Ideal* pet doors.

#### 2.3 One-Dimensional Analysis of Patio Pacific Endura Flap

The method outlined above works quite well for both the Ideal and the Pet Safe Classic models. The Patio Pacific door however, incorporates a set of air-filled cavities in the center area to increase its performance as an insulator. These features complicate the analysis because convection currents that will affect the heat transfer can exist inside the cavity. Because these buoyancy induced currents are dependent on temperature, the cavities have increased the non-linearity of the problem. Also, this center section, which is a huge majority of the pet door's area, now has a thickness that changes between the cavity surfaces and the ribs that connect them. This variation is important because it can create multi-dimensional effects that cause the one-dimensional model to give inaccurate predictions of the total heat transfer.

To begin, the Endura Flap was divided into separate components in a manner similar to the previous models, as shown in Figure 2.5.



Figure 2.5. Diagram of Components Used for Modeling the Endura Flap.

As is shown in the calculations in Appendix A, a result of the cavity geometry and the small difference between the door's inner and outer surface temperatures is that significant convection currents do not arise. Because the air inside the cavity is nearly stagnant, the heat transfer occurs mainly by conduction through the air. Because the maximum resistance to heat transfer occurs when the air is completely stagnant, the Endura flap cavities are creating a nearly optimal resistance to heat transfer.

Assembling the pieces into the thermal resistance network shown in Figure 2.6 creates a one-dimensional heat transfer model for the Endura Flap. In the resistance network, the resistance due to conduction through the air filled cavities includes the effect of both the air and the plastic walls that contain the air. Although this network cannot account for the two-dimensional effects, it is a good place to start because it is very simple and can give some insight into the behavior before proceeding with the more advanced analysis.



Figure 2.6. The Network Used for an Approximate Model of the Endura Flap.

#### 2.4 Two-Dimensional Analysis of Patio Pacific Endura Flap

Because the air inside the cavity is nearly stagnant, conduction is the primary mode available for heat transfer. However, the varying thickness and the differences between the thermal conductivity of air and of the polymer material make the accuracy of the onedimensional heat transfer model shown in Figure 2.6 uncertain. For example, the onedimensional resistance network assumes a single, uniform temperature for the inside surface of the door, and a single, uniform temperature for the outside surface. Two-dimensional effects could mean that the surface temperatures vary along the surfaces. At this point, a more advanced model was undertaken to assess the multi-dimensional behavior of the Patio Pacific Endura flap, and to determine whether the one-dimensional model is sufficient to predict the heat transfer.

As stated above, the varying thickness and the different thermal conductivity values in the air chamber are likely to create two-dimensional effects in the Endura Flap. To assess how strongly these affect the heat transfer performance and the validity of the one-dimensional model, a two-dimensional heat transfer model was developed using MATLAB with the PDE Toolbox add-on software, focusing on the air cavity and the rib area that joins the air cavities. This region, as shown in Figure 2.7, was selected because both causes of the two-dimensional behavior are more pronounced here than in any other part of the pet door.



Figure 2.7. The Air Cavity Rib Region Selected for Two-Dimensional Study.

The finite element method was used to capture the two-dimensional behavior in the region which is magnified and shown on the right in Figure 2.7. This domain takes advantage of symmetry in order to avoid unnecessary computation: in Figure 2.7, the dashed lines represent lines of symmetry, which behave as insulated surfaces in terms of heat transfer.

A two-dimensional temperature distribution was calculated for winter conditions; that is, the boundary condition at the inside surface was modeled as convection to air at 70 ° F (21 °C or 299 K), while the boundary condition at the outside surface was modeled as convection to air at 0 °F (-18 °C or 255 K). A pictorial representation of the solution that displays the temperatures in Kelvin is shown below in Figure 2.8. The x- and y- coordinates are distances in meters.



Figure 2.8. Finite Element Model Solution for the Air Cavity and Rib Regions.

The results of the two-dimensional heat transfer model reveal two important effects. First, the temperature gradient is primarily in the horizontal direction; that is, the resulting heat transfer is largely one-dimensional. Thus the one-dimensional model is reasonable to predict the heat transfer. Second, the surface temperatures are fairly uniform along, say, the inside surface of the air-filled cavity, or along the inside surface of the connecting rib. However, those two surface temperatures are not the same. This is an important result because the one-dimensional model developed in Figure 2.6 assumed that all inside surfaces are the same temperature, and all outside surfaces are the same temperature.

As outlined in the appendix, a more detailed one-dimensional model has been developed for modeling the Patio Pacific pet door. This new network, depicted in Figure 2.9, assigns different temperatures to the inside and outside surfaces of the ribs, edges, air-filled cavities, and door bottom. When used to evaluate the heat transfer of the entire door (not just the air cavities and ribs) under typical winter conditions, the heat transfer predicted by this new model is 7.5 W, compared to 10.5 W predicted by the simpler model of Figure 2.6.



Figure 2.9. The Network Used for the Detailed 2-D Model of the Endura Flap. For analysis purposes, the door resistance is calculated from the definition of thermal resistance, Equation 2.1:  $R = \Delta T / q$ . Appendix A describes this analysis in detail.

#### 2.5 Summary of Analysis Results

To create a comparison, the thermal resistance networks described above were applied to the doors to obtain values for the resistance to heat transfer, R. For this calculation, appropriate conditions at the outside surface were selected using ASHRAE standards. Also, by ASHRAE standards of assuming a 70°F inside temperature and a 0°F outside temperature, heat transfer rates (a.k.a. energy losses) were calculated for the winter season. These findings are summarized in Table 2.1.

	Patio Pacific Pet Door	Ideal Pet Door	Pet Safe Classic	Single Pane Window*	Dual Pane Window*
R door (K/W)	2.14	0.21	0.17	-	-
R total winter (K/W)	5.21	3.07	2.42	1.83	3.46
R" door ( $K \cdot m^2/W$ )	0.18	0.02	0.02	-	-
R" total winter ( $K \cdot m^2/W$ )	0.43	0.27	0.27	0.17	0.32
Winter** Energy Loss (W)	7.5	12.7	16.0	21.3	11.2

Table 2.1. Heat Transfer Analysis Results for Different Products.

\*These estimates are based on a window area equal to the average of the pet door areas.

\*\*Conditions defined by ASHRAE standard winter design conditions.

An interesting finding is that the insulating ability of the Endura flap door alone is an order of magnitude (10X) larger than the competitors'. Although this value is much larger, the amount of heat loss through the doors does not change as drastically. This is because the majority of the total resistance to the heat transfer comes from the convection at the surfaces rather than the conduction through the door ( $R_{conv,in} + R_{conv,out} > R_{door}$ ). This is shown clearly below in Figure 2.10. Lastly, the differences in the energy losses listed in Table 2.1 may seem significant when viewed comparatively, but it is important to remember that these values are only a few watts, which is very small.



Figure 2.10. Contributions to the Total Heat Transfer Resistance for the Three Doors.

#### **2.6** Conclusions

At the completion of the analytical study of each pet door's heat transfer performance under winter conditions, the following conclusions can be made.

1. The Endura Flap's resistance to heat transfer,  $R_{door}$ , is approximately 10 times greater than the competitors'. However, the total resistance to heat transfer for this product, R, which determines the rate of energy loss is only approximately 2 times greater.

2. Although the cavity design of the Endura Flap has clearly decreased the heat transfer, the energy losses from heat transfer are very small for all three doors. Furthermore, these energy losses are much smaller than the values associated with air leakage, as will be shown in Chapter 4.

3. Placing a material into the cavities is not likely to improve the heat transfer performance of the Endura Flap pet door because the minimal convection currents that develop inside the cavities allow the air to serve as the excellent insulator that it is.

#### 3. Infiltration (Air Leakage) Study

While the heat diffusing through the pet doors can be modeled and predicted quite accurately with an analytical approach, the energy losses associated with infiltration (air leakage) is much more complicated. Consequently, an accurate measure of each door's leakages under different conditions can only be obtained through experimentation.

The air leakage consumes energy because the air that enters the home must be brought to the temperature of the dwelling by either heating or cooling. The amount of energy associated with this process can be calculated using

$$q = \rho Q c_p \Delta T \,, \tag{3.1}$$

where

*q* is the energy required to heat or cool the air (kWh or BTU)  $\rho$  is the density of air (lbm/ft<sup>3</sup> or kg/m<sup>3</sup>), *Q* is the volumetric flow rate of air from the leakage (CFM or m<sup>3</sup>/s),  $c_p$  is the specific heat at constant pressure for air (kJ/kg K or BTU/lbm R), and  $\Delta T$  is the difference between the inside and outside temperatures (°C or °F).

Of the terms in Equation 3.1, the physical properties of air  $(\rho, c_p)$  and the temperature difference  $(\Delta T)$  can be thought of as independent variables, meaning they do not depend on the door model. It is the leakage flow rate, Q, which is most dependent on the pet door design.

Air leakage occurs when the air flows past seals or gaps along the perimeter of the pet door. This air flow is driven by a difference in pressure. For example, when the pressure inside the home is slightly less than that outside, air will be forced into the home through the seals or gaps. So, for each door, the amount of leakage will depend on the pressure difference across the door. This pressure difference across the door is typically caused by wind that impinges upon the door. These two relationships reveal that the air leakage flow rate will depend on the velocity of the impinging wind.

This is an important result that is rather intuitive, but it is also incomplete, because there is also a dependence on temperature. Because of the pet door material's coefficient of thermal expansion, as the temperature increases or decreases, the pet door expands or contracts, respectively. At low temperatures, the pet doors contract, causing the cracks along the perimeter of the doors to become larger, which can lead to greater leakage. At high temperatures, the pet doors expand, possibly to the point of becoming too large for the frame they are to seal with. This would cause the doors to remain ajar after use, which could also lead to an increased amount of leakage.

The final result of this discussion can be expressed in functional form as

$$Q = Q(V,T) \tag{3.2}$$

where

*Q* is the volumetric flow rate of air leakage (CFM or  $m^3/s$ ), *V* is the speed of the impinging wind (mph or m/s), and

*T* is the temperature of the air ( $^{\circ}$ C or  $^{\circ}$ F).

Equation 3.2 states that the air leakage volumetric flow rate depends on both the impinging wind speed and the air temperature. This result is important because it is a concise and exact statement of what parameters need to be varied in order to capture all of the air leakage behavior of each pet door model.

The infiltration study performed in this work is comprised of three parts:

- 1. **Effect of wind speed.** In order to determine the effect of the wind speed, the leakage flow rate is measured for each door as it is subjected to different pressure differences that simulate head-on (perpendicular to the door) wind speeds ranging from zero to about 25 miles per hour.
- 2. Effect of temperature. In order to determine whether temperature has an effect on pet door performance, the above tests were conducted at three temperatures: low temperature (approximately -5 °F), room temperature (approx. 70 °F), and high temperature (approx. 110 °F).
- 3. Ultimate seal failure. In addition to the above tests where the leakage flow rate is being measured, there is another test to determine the strength of each doors' seal. This ultimate seal failure test does not measure the leakage flow rate, but rather determines the pressure difference necessary to break the seal and blow the door open.

It is important to note that, given the extensive testing required, only one of each door model was tested. It is assumed that each door is representative of the performance of the model; i.e., that each door's results are "typical" for that model.

#### 3.1 Simulation of Impinging Wind

In this work, the effect of the wind on the pet doors was not tested directly; that is, air was not forced onto the doors with a fan or any similar method. Directly imposing a wind on the door was not feasible, since the effect of the wind changes with the wall size and shape, as well as the wind direction. Instead, the effect of the wind was simulated by imposing a pressure difference across the door. Following McQuiston et al. [2], wind impinging on a door or window changes the pressure felt on the outside of the door. The effect is related to Bernoulli's equation, and is presented as

$$\Delta P_{w} = \frac{C_{p}\rho \overline{V_{w}}^{2}}{2} \quad , \tag{3.3}$$

where

 $\Delta P_{w}$  is the pressure difference across the door (inH<sub>2</sub>O or psi),

 $\rho$  is the density of the air (lbm/ft<sup>3</sup>),

 $\overline{V}_{w}$  is the average wind speed (mph), and

 $C_p$  is the pressure coefficient.

The variable  $C_p$  is not the specific heat,  $c_p$ , used in Chapter 2. Rather, it is a coefficient that depends on the shape and orientation of the building with respect to the wind. The worst-case condition is when the wind is head-on (perpendicular) to the door, in which case the pressure coefficient is found empirically to be about 0.6. This value for  $C_p$  was chosen for this work.

Figure 3.1 depicts the relationship between impinging wind speed and pressure difference calculated using Equation 3.3. This relationship was used to determine the "effective" wind speed that the door experiences. In this work, a wind speed of up to approximately 25 mph was to be simulated.



Figure 3.1. Pressure difference across door as a function of impinging wind speed (Equation 3.3).

#### **3.2 Experimental Apparatus**

The apparatus had to meet the following functional requirements that were appropriate to the project:

- Design should be simple in order to expedite the project.
- Accommodate the appropriate range of pressures and temperatures without sacrificing measurement integrity.
- Allow for easy attachment and removal of the different pet doors without compromising the flow rate measurements.



The apparatus was carefully crafted in order to adhere to these guidelines, and can be seen below in Figure 3.2.

Figure 3.2. Experimental apparatus used for testing the pet doors. This view shows the pressure tap, the LFE with its ducting, and the suction side of the blower.

The wooden box pictured above serves as a chamber to maintain a partial vacuum environment. The blower seen atop the box creates a low pressure inside the box when it pulls air through the ducting that is attached to its suction side. As discussed earlier, this pressure difference is established across the door to simulate the impinging wind. The brass item seen in the center of the ducting is a Meriam laminar flow element (LFE), which provides a very accurate measure of the air flow rate, calibrated as a function of the pressure drop across the LFE.

#### **3.3 Calibration Procedure**

Because the inside of the box is maintained at a partial vacuum to simulate the impinging wind, the box itself leaks air. Physically, it is not possible to completely eliminate this leakage; however, this leakage can be calibrated and then subtracted from the experimental data as follows:

$$Q_{door} = Q_{total} - Q_{box} \tag{3.4}$$

where

 $Q_{door}$  is the leakage flow rate through the pet door,  $Q_{total}$  is the leakage flow rate from both the pet door and the box, and  $Q_{box}$  is the leakage flow rate through the box.

Equation 3.4 shows how the desired quantity,  $Q_{door}$ , is found indirectly by measuring two other quantities. These two quantities are determined by their respective tests. These tests are necessary because the two quantities are both subject to change. In addition to depending on the pressure difference and the temperature, they can change each time a new door is attached to the box for testing.

The peripheral leakage,  $Q_{box}$ , is obtained by sealing the pet door in a plastic cover so that it cannot leak, as shown in Figure 3.3. Then, the peripheral leakage test measures the peripheral leakage flow rate for the complete range of pressure differences to be used for simulating the wind. Because the peripheral leakage could change with temperature, the peripheral leakage test was performed at all three temperatures. And, because the leakage might change when a different pet door is mounted to the box, the leakage calibration was performed every time a new door was attached.

#### 3.4 Air Leak Testing Procedure

Once the peripheral leakage has been calibrated (for a particular door and a particular temperature) the plastic covering is taken off the pet door, and the total air leakage rate is measured for the complete range of pressure differences to be used for simulating the wind. This configuration is shown in Figure 3.4. With no seal over the door, the flow rate that the laminar flow element measures is  $Q_{total}$ , the combination of the leakage from the box and the leakage from the pet door. The total leakage test must be conducted under the same conditions as the peripheral leakage test in order to ensure the accuracy of the  $Q_{door}$  calculation. This was accomplished by removing the seal and conducting the total leakage test immediately after conducting the peripheral leakage test for each door at all three temperatures.



Figure 3.3. Experimental apparatus with a pet door sealed for a peripheral leakage test.



Figure 3.4. Experimental apparatus with a pet door unsealed for a total leakage test.

For each of the leakage tests, it is necessary to measure the flow rate for a range of pressure differences in order to simulate an appropriate range of wind speeds. To obtain a range of pressure differences across the door, a variac (variable transformer) controlled the power to the blower's motor. This altered how much power the blower received, which in turn determined how much of a vacuum existed inside the box.

The pressure difference across the door simulating an impinging wind was measured using a micromanometer. This instrument was selected for its high resolution so that multiple measurements could be made through the appropriate range. It measures the pressure difference by connecting one column to the pressure tap on the box while leaving the other column open to the atmosphere, as shown in Figure 3.5.



Figure 3.5. Experimental apparatus with the micromanometer used to measure the pressure difference across the door, shown here with the flexible ducting installed for the ultimate seal failure test.

The flow rate measurements were obtained using a laminar flow element. This instrument determines the flow rate based on the pressure drop in the flow as measured using the two pressure taps that can be seen protruding to the left in Figure 3.2. The inclined manometer shown below in Figure 3.5 was selected for its range and resolution to measure the pressure difference from the laminar flow element.



Figure 3.6. Inclined manometer used to measure the pressure difference on the LFE.

#### **3.5 Ultimate Seal Failure Test**

The ultimate seal failure test is different from the leakage tests because the leakage rate was not measured. In fact, the air leakage rate was not meaningful once the door finally "blew open," because the pressure difference between the inside and the outside of the box became too small to measure – in essence, the pressure inside and outside the box equalized. At this point the air leakage rate could not be correlated to the pressure difference.

The ultimate seal failure test simply measures the greatest wind speed the pet door can sustain without being blown open. For this test, the laminar flow element is replaced with a single piece of flexible ducting, as shown in Figure 3.5. This is because the laminar flow element, while very accurate for flow measurement, is highly restrictive. Therefore in order to simulate high wind speeds, this restriction must be removed in order to obtain the large enough pressure differences.

To perform the test, a pressure difference is established across the door, as controlled with the variac in the usual fashion. The power to the blower motor is gradually increased to raise the pressure difference across the pet door until it opens. In addition to the visual cue, the door's opening is confirmed by the sharp, instantaneous drop in the pressure difference.

#### 4. Testing Results

This chapter summarizes the data collected for all air infiltration tests performed on the Ideal, Pet Safe Classic, and Endura pet doors. The data are provided in Excel files in the attached CD-ROM. The leakage depends on both the wind speed and the temperature. Therefore, the results have been used to generate plots that display how both variables affect the behavior. Each door has a plot showing how the air leakage volumetric flow rate changes with the wind speed. Also, each plot includes separate curves to show the behavior at each of the three temperatures.

In addition to understanding how each door performs individually, the more important goal of this study is to compare the performances of the different models. In order to compare the doors, plots have been generated that show how each door's leakage flow rate changes with wind speed. This door comparison is made at all three temperatures, so there is a separate plot for each.

Lastly, the results of the ultimate seal failure test have been assembled into a table listing the wind speed that each door sustained at each of the three temperatures.

#### 4.1 Peripheral Leakage

The peripheral leakage (air leaking through the box) interferes with the ability to directly measure the door leakage. Generally, the leakage through the box is much less than that through the door. Nevertheless, peripheral leakage was calibrated as described in Section 3.3, and was subtracted out from the total leakage test data to yield the door leakage via Equation 3.4. A power law function was chosen to fit the peripheral leakage data. A typical result of this process is shown below in Figure 4.1.



Figure 4.1. Representative Peripheral Leakage Test Results.

This plot shows how the box leakage changes with the pressure difference across the door. The equation displayed for the box leakage is the ultimate result of the peripheral leakage test that is used in the door leakage calculation.

#### 4.2 Door Leakage

As discussed earlier, the door leakages are presented in the following plots. In these plots, the peripheral leakage has been subtracted, as in Equation 3.4. First, each door is shown individually with the performance at all three temperatures. Then, plots compare the doors to each other at the different temperatures.

#### 4.2.1 Individual Door Performances

Figure 4.2 depicts the door leakage rate (CFM) as a function of effective wind speed for the Ideal Pet Door. For each temperature condition, the data point at the maximum wind speed is the maximum speed the door withstood; beyond this value of wind speed, the door seal failed. These conditions are represented by the dashed lines in Figure 4.2.



Figure 4.2. Ideal Pet Door Performance at Different Temperatures.

For the Ideal Pet Door data, several observations are made: First, the air leakage behavior at high temperature (111 °F) and room temperature are essentially the same; extreme high temperature does not appear to change the leakage characteristics of the door. However, the leakage rate increases significantly at low temperature (-2 °F). This is likely due to shrinkage of the door material, which would open up the gaps in the door seal. Finally, in each temperature condition, the door seal failed at winds between 15 and 21 mph. It is unclear, however, whether the seal failure is correlated to the operating temperature.

Figure 4.3 depicts the test results for the Pet Safe Classic Pet door. For this door at room or high temperature, the air leakage is about twice that observed with the Ideal Pet Door (at low temperature the leakage is about 50% higher). In fact, because the leak rates are higher, the experimental facility could not achieve high enough vacuum inside the box to make the door seal fail, so data was collected only until the blower was at maximum speed. Otherwise, the results for the Pet Safe door are similar to that of the Ideal. First, the high- and room-temperature data behave similarly, though the leak rates at high temperature (113 °F) are slightly lower; it may be that thermal expansion of the door improves the sealing capability of the door, albeit slightly. As for the Ideal Pet Door, the leak rate of the Pet Safe door at low temperature (-5 °F) is significantly higher.



Figure 4.3. Pet Safe Classic Pet Door Performance at Different Temperatures.

Finally, Figure 4.4 depicts the leakage data for the Patio Pacific (Endura) pet door. At high or room temperature, the Patio Pacific door leaks at about the same rate as the Ideal Pet Door, which is about half the rate of the Pet Safe Classic. However, where the Ideal pet door failed at a wind speed of about 21 mph, the Patio Pacific door did not fail during these tests. (In fact, later testing shows that the Patio Pacific door withstood winds above 50 mph without failing, as shown in Section 4.3). Also, the leakage performance increased only slightly at low temperature.



Figure 4.4. Patio Pacific Endura Flap Pet Door Performance at Different Temperatures.

#### 4.2.2 Door Performance Comparisons

Figures 4.5 through 4.7 compare the previous test data of the three doors; each plot represents a different operating temperature. As seen in the plots, the Pet Safe Classic pet door leaks more than the other doors at all three temperatures. At room and high temperature, the Ideal and Patio Pacific pet doors leak near the same amount, but the Patio Pacific performed significantly better than both doors during the low temperature test.



Figure 4.5. Performance Comparison at Low Temperature (approx. -5 °F).


Figure 4.6. Performance Comparison at Room Temperature (approx 70 °F).



Figure 4.7. Performance Comparison at High Temperature (approx. 110 °F).

#### 4.3 Flow Visualization

In order to qualitatively identify sources of air leakage, a fog generator was used on the Patio Pacific door to visualize the air flow across the door. Flow visualization revealed two areas in the design that are worthy of comment. First, a significant amount of flow appeared across the hinge of the door. Ad hoc attempts were made to reduce this leakage by taping a flap to cover the hinge on the outside; this data appears in the Excel file "Test Data at Room Temp.xls," under the tab "Run Patio." The data taken with the added flap show that the leakage was reduced somewhat (approximately 10%), but only at higher impinging wind speeds. So, at first glance, the data suggest that using a flap to reduce this leakage is not that effective. A second area of leakage occurred at all four corners of the door, at the ends of the accordionshaped bellows that attach the magnetic seals to the doors. This is an area that could be considered in order to further improve the leakage characteristics of the door.

Despite those areas of leakage, it should be noted that leakage was not observed across the magnetic seals. Also, it should be noted that, in spite of the observed leakage, the Patio Pacific door matched the leakage performance of the Ideal door at room and high temperature, and exceeded all doors at low temperature.

#### 4.4 Ultimate Seal Failure

The findings of the ultimate seal failure testing are presented below in Table 4.1. As described in Section 3.5, this test was to determine what effective wind caused the pet door to "blow open;" that is, to cause the door seal to fail. For the Ideal pet door, the seal withstood slightly higher winds at higher temperature. For the other doors, the temperature dependence was not significant. More importantly, however, is that the Patio Pacific door withstood significantly higher wind than either the Pet Safe Classic or the Ideal pet door.

Temperature	Ideal	Pet Safe Classic	Patio Pacific Endura Flap
Low ( $\approx$ -5 °F)	15	19	56
Room ( $\approx$ 70 °F)	17	19	55
High (≈110 °F)	19	20	52

Table 4.1. Maximum Impinging Wind Speed (in mph) Sustained by the Doors.

#### 4.5 Heat Transfer Associated with Air Infiltration

Now that the infiltration characteristics of the doors have been quantified, it remains to be seen how air infiltration affects the overall energy efficiency of the doors. In order to assess this, a simple analysis will be performed. The heat loss through the door is assumed to be comprised of two effects: conduction and convection heat transfer through the door itself, and the energy loss due to air infiltration. For conduction/convection across the door, Equation 2.1 is used:

$$q_{conduction/convection} = \frac{\Delta T}{R} \quad . \tag{2.1}$$

For heat loss due to air infiltration, Equation 3.1 is used:

$$q_{\rm inf\,iltration} = \rho Q c_p \Delta T \tag{3.1}$$

When added together, these comprise an estimate for the total heat transfer across the door.

Based on the infiltration study, it appears that the worst-case heat transfer, and the largest performance difference between the doors, occurs at low temperature. Therefore winter conditions will be assumed: the outside temperature is again taken to be 0 °F, while the inside temperature is to be maintained at 70 °F. Table 2.1 lists the overall thermal resistances, R, of the pet doors for standard winter design conditions. This information is sufficient to calculate the conduction/convection heat transfer rate using Equation 2.1. In fact, the last row of Table 2.1 lists the heat transfer calculated using Equation 2.1.

For the infiltration heat transfer rate, a value of air infiltration rate, Q (CFM) must also be assumed. The infiltration rate is dependent on the wind velocity; a "typical" value of 15 mph is assumed; this is consistent with the ASHRAE standard. The air infiltration rate is also highly dependent on the temperature of the door, which, as a first approximation, may be assumed to be the average temperature between the inside and outside conditions, or approximately 35 °F. This temperature condition was not investigated in this work. However, as an approximation, the air leakage rate is interpolated from the data as roughly the average of the values at the low- and room-temperature conditions.

Table 4.2 lists the results of these calculations. Although these are rough estimates based on simplifying approximations, the results are useful in determining the relative effect of conduction/convection and infiltration on the overall heat transfer, as well as the relative performance of the three doors.

There are four points that these calculations reveal. First, as before, the calculations show that the Patio Pacific door has significantly reduced energy loss due to conduction/convection through the door – about 40% lower than that of the Ideal pet door, the next best product. Second, the energy loss due to air infiltration is significantly improved with the Patio Pacific door – about 33% lower than that of the Ideal pet door. Third, the overall heat loss associated with the Patio Pacific door is significantly improved over the Ideal and Pet Safe Classic doors. Finally, the results show that the energy loss due to air infiltration far outweighs those due to conduction and convection through the door: at the extreme case of winter conditions, the heat loss due to infiltration is approximately 20 times that of conduction/convection.

Quantity	Ideal	Pet Safe Classic	Patio Pacific
Heat transfer rate due to	12.7	16.0	7.5
conduction/convection, W			
Heat transfer rate due to air	228.6	381.0	152.4
infiltration, W			
Total, W	241.3	397.0	159.9

Table 4.2 Comparison of heat transfer performance for ASHRAE standard winter conditions.

Again, it should be noted that these calculations are based on rough approximations and winter operating conditions. The improved thermal performance of the Patio Pacific door would not be present at higher operating temperatures, since the infiltration characteristics of the Patio Pacific and Ideal pet doors are similar near and above room temperature. However, the calculations do provide some useful information on the magnitude of the energy losses and the relative performance of the doors.

### 4.6 Summary of Air Infiltration Testing

1. Air infiltration rates were found to be dependent on the effective speed of the wind impinging on the door, as well as the operating temperature of the door.

2. Operating temperatures above room temperature do not seem to affect the infiltration characteristics of any of the doors significantly. However, both the Ideal and the Pet Safe Classic pet doors had low temperature leakage rates that were about double their room temperatures values. This increased leakage is probably the result of an increased crack size along the perimeter as caused by the material's contraction at low temperatures. The Patio Pacific pet door model did not experience this increase in its leakage because its magnetic strips along the sides were able to maintain a consistent seal.

3. Air leakage across the Patio Pacific door was observed in two major locations: across the hinge, and in the four corners of the door, where the magnet attaches to the accordion-shaped bellows on the door.

4. An order-of-magnitude heat transfer analysis shows that air infiltration under winter conditions accounts for about 20 times more energy loss than that due to conduction and convection heat transfer through the door. However, this is an extreme result; at higher outside temperatures, and depending on the door model, the infiltration losses are not likely to be as great.

5. Under approximate winter operating conditions, the Patio Pacific pet door experiences about 40% less energy loss due to conduction/convection, and about 33% lower energy loss by infiltration than the next best performing door, the Ideal pet door. However, such improved performance is not likely at temperatures above room temperature, since the Patio Pacific door's infiltration characteristics are similar to the Ideal pet door's at higher temperatures.

6. The ultimate seal strength - the effective wind that causes the door to blow open - is significantly better with the Patio Pacific pet door.

#### 5. Conclusions

In this work, thermal models were created for each pet door to predict the heat losses that will occur while in use during the winter season. Also, the problem of infiltration was studied through experimental investigations into the effects of impinging winds and large temperature variation. The results of the above support the following conclusions.

1. The thermal resistance of the Patio Pacific Endura Flap pet door is about ten times greater than that of the Ideal and Pet Safe Classic pet doors, considering heat transfer through the door only. When air convection is also considered, the overall resistance of the Patio Pacific door is about one and a half to two times that of the other doors. The overall resistance of the Patio Pacific door is better than that experienced even for a dual pane window. The primary reason for the better thermal resistance is the cavity design, which greatly increases the resistance to heat transfer.

2. The geometry of the cavity causes only minimal convection currents to arise, which allows the air to function as an excellent insulator. In fact, because air has such a low thermal conductivity, pursuing options to insert insulation material into the airspace of the cavity will not only increase the complexity, but will increase the energy loss as well.

3. Although the thermal resistance is clearly improved with the Endura Flap, the heat transfer across all the doors is small when compared to the heat loss associated with air leakage. Energy losses due to air infiltration can be as high as 20 times those due to conduction/convection across the door.

4. The Patio Pacific Endura Flap's magnetic strips along the vertical edges maintain good protection against leakage in all of the temperature environments. These magnetic strips set the pet door apart from its competitors because they depend on dimension tolerances for a good seal. As a result of this dependence, the competitors suffer at low temperatures when the cracks increase in size from thermal contractions. This is particularly important because it is occurring when leakage will cause the greatest energy losses.

5. The hinge across the top is the Endura Flap pet door's primary opening through which air can infiltrate the home. While the competitors' cantilever designs without a hinge would therefore seem desirable, a problem with this design is that the doors become difficult to open at low temperatures because the flap material loses its flexibility. A second important leak location is at the edge of the magnetic strips, along the accordion-shaped baffles that attach the magnetic seal to the door.

6. The primary advantages of the Patio Pacific door are two-fold: (1) The door resists air infiltration better than the two competitors' doors at lower operating temperatures, (2) The door resists seal failure ("blow open") at significantly higher effective wind loads – above 50 mph.

As mentioned in the body of the report, all infiltration testing was performed only on one sample of each door model. That is, the testing results are assumed to be typical of the model, and therefore no statistical analysis was performed.

## References

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APPENDIX A: Outline of the Thermal Models and Analysis

A.I Ideal Pet Door

A.Z. Pet safe Classic Pet Door

A.3 Patio Pacific Endura Flap Pet Door

Although the analysis was performed on each door in the reverse order, this sequence seems more appropriate for presenting the work. By beginning with the simpler models, the reader will be better equipped to understand the analysis.

# A.1: Ideal Pet Door

Because this door is a perfect example of one-dimensional heat transfer, the resistance network method is incredibly well-suited to model the problem. For I-D conduction through a plane wall, two boundary conditions must be prescribed. They have been selected to represent the conditions the pet cloor will experience on the inside and autside surfaces.

Boundary Condition 1: Convection to air inside Tairin = 70°F = 294.3 K  $\overline{h}$ = 4.54 W/m<sup>2</sup> K

Boundary Condition 2: Convection to air outside  $T_{air,out} = 0^{\circ} F = 255.4 K$   $\overline{h} = 31.82$  W/m<sup>3</sup>.K

The temperatures have been chosen in accordance with AstHRATE standard winter design conditions. The outside convection coefficient ( $\overline{h}_{out}$ ) has also been selected from ASHRATE standards. The inside convection coefficient ( $\overline{h}_{in}$ ) was calculated in the Endura Flap analysis and then used for all inside boundary conditions.

From a side view showing the heat 
$$\frac{2}{11}$$
  
transfer as occurring from left to right  
 $T_{air,in} = 294.3 \text{ K}$   
 $h_{in} = 4.54 \text{ W/m^{3}.K}$   
 $q$   
 $T_{air,out} = 255.4 \text{ K}$   
 $h_{out} = 31.82 \text{ W/m^{3}.K}$ 



$$R_{conv,in} = \frac{1}{\overline{h_{in}} A}$$

$$R_{conv,out} = \frac{1}{\overline{h_{out}} A}$$

where A is the total surface area where convection occurs. Here, it is also the cross-sectional area through which the heat transfers. Focusing on the Ideal Pet Door; we see that 3/11 there are three distinctive components through which the heat can move:

1) Edge folds

2) center flap

3) Bottom stop

Each of these pieces is a conductive resistance, and is therefore of the form



Each of the conductive resistances of the door are separate, alternative paths for the heat to move through. Therefore, the total door resistance is composed of the three resistances in parallel



All of the heat (qtot) transfers into the door by convection. It then divides so some passes through each resistance, and then it is all transferred to the outside air by convection. So,

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And for each element, Equation 2.1 holds, so

- geologies = Ts,in-Ts,out Redges
- $q_{center} = \frac{T_{sin} T_{sout}}{R_{center}}$
- $q_{bottom} = \frac{T_{s,in} T_{s,out}}{R_{bottom}}$

$$q_{tot} = \frac{T_{s,in} - T_{s,out}}{R_{door}}$$

An alternative to calculating the heat transfer through each piece and then adding them together is to calculate the door resistance directly using

 $R_{door} = \left(\frac{1}{R_{edges}} + \frac{1}{R_{centrer}} + \frac{1}{R_{bottom}}\right)^{-1}$ 

So now, it is necessary to obtain values 5,  
for the resistance of each piece.  
Calculating Rienter  
Rienter = 
$$\frac{1}{\text{kienter}}$$
  
 $\frac{1}{\text{kienter}}$   
 $\frac{1}{\text{kiente$ 

The folds presented a challenge because they are not a flat plane wall. Because of this, the convection surface area has been used. with two different values that will breecket the actual heat transfer. These are referred to as approaches A and B.

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Approach A takes the edge and unfolds it so that it is a plane wall. This creates a thin, large surface, leading to a low value for the conductive resistance. Also, the large area decreases the convective resistances. This approach overpredicts the heat transfer (underpredicts the thermal resistance).

Approach B leaves the edge in its folded position, but includes the air directly surrounding it. By treating this component as a combination of conduction through air, then plastic, and then air again, the resistance becomes high. Also, because the area is smaller, the convective resistances become larger. This approach therefore underpredicts the heat transfer (overpredicts the resistance).

Physically, approach A is assuming that the curvature of the folds does not affect boundary layer development. Approach B is assuming that the air near the folds is stagnant, as a result of the relatively high viscous effects encountered at low Rayleigh numbers. The actual flow condition will lead to heart transfer that is bracketed by these two assumptions. Furthermore, the difference in the prediction of the total heat transfer created by using approach A vs B is small. For the analysis, both will be used to calculate a heart transfer. rate, and the average will be the final reported value.



 $Redges_A = 0.516 \text{ K/W}$ 

Calculating Redges with Approach B 9/1  
1.4 mm  

$$f_{m}$$
  $f_{m}$   $f_{m$ 

Redges = 13.2 K/W

calculating the convective resistances,  

$$R_{conv,in_{A}} = \frac{1}{\overline{h_{in}} A_{A}} = \frac{1}{(4.54 \frac{W}{m^{*} \cdot K})(0.090 \text{ m}^{2})}$$

$$= 2.434 \text{ K/W}$$

$$R_{conv,in_{B}} = \frac{1}{\overline{h_{n}} A_{B}} = \frac{1}{(4.54 \frac{W}{m^{*} \cdot K})(0.087 \text{ m}^{2})}$$

$$= 2.518 \text{ K/W}$$

$$R_{conv,out_{A}} = \frac{1}{\overline{h_{out}} A_{A}} = \frac{1}{(31.82 \frac{W}{m^{*} \cdot K})(0.090 \text{ m}^{2})}$$

$$= 0.347 \text{ K/W}$$

$$R_{conv,out_{B}} = \frac{1}{\overline{h_{out}} A_{B}} = \frac{1}{(31.82 \frac{W}{m^{*} \cdot K})(0.087 \text{ m}^{2})}$$

$$= 0.360 \text{ K/W}$$

Now, each term has been calculated, so . 11/11

$$\frac{R_{door}}{2} = \frac{R_{door_A} + R_{door_B}}{2} = \frac{0.169 + 0.246}{2}$$

$$\frac{R_{tot}}{2} = \frac{R_{tot_A} + R_{tot_B}}{2} = \frac{2.950 + 3.124}{2}$$

$$R_{tot} = 3.04 \text{ K/W}$$

# A.2: Pet Safe Classic Pet Door

Because this door is so nearly identical 1/6 to the Ideal Ret Door model, the calculation of each separate resistance is the only area of the analysis that shows any difference to that shown in A.I. For this reason, needless repetitions shall be ommitted.







Combining,  

$$R_{P2} + R_{mag} + R_{P2} = 5.709 \text{ K/W}$$
  
 $R_{b2} + R_{mag} + R_{P2} = 5.709 \text{ K/W}$   
 $R_{bottom} = \frac{(5.709 \text{ K/W})(9.735 \text{ K/W})}{(5.709 + 9.735) \text{ K/W}}$   
 $R_{bottom} = 3.599 \text{ K/W}$   
Calculating Redges with Approach A,  
 $I.3mm$   
 $I.3mm$   

4/6

kplastic = 0.21 W/m.K



Calculating convective resistances,  

$$R_{conv,in_{A}} = \frac{1}{h_{in}A_{A}} = \frac{1}{(4.54 \text{ M}_{h}\cdot\text{K})(0.113 \text{ m}^{2})}$$

$$= 1.950 \text{ K/W}$$

$$R_{conv,in_{B}} = \frac{1}{h_{in}A_{B}} = \frac{1}{(4.54 \text{ m}^{N}\cdot\text{K})(0.110 \text{ m}^{2})}$$

$$= 2.003 \text{ K/W}$$

$$R_{conv,out_{A}} = \frac{1}{h_{out}A_{A}} = \frac{1}{(31.82 \text{ m}^{N}\cdot\text{K})(0.110 \text{ m}^{2})}$$

$$= 0.278 \text{ K/W}$$

$$R_{conv,out_{B}} = \frac{1}{h_{out}A_{B}} = \frac{1}{(31.82 \text{ m}^{N}\cdot\text{K})(0.110 \text{ m}^{2})}$$

$$= 0.278 \text{ K/W}$$

$$R_{conv,out_{B}} = \frac{1}{h_{out}A_{B}} = \frac{1}{(31.82 \text{ m}^{N}\cdot\text{K})(0.110 \text{ m}^{2})}$$

$$= 0.278 \text{ K/W}$$

nd finally,  

$$R_{door} = \frac{R_{door_A} + R_{door_B}}{2} = \frac{0.141 + 0.191}{2}$$
  
 $= 0.17 \quad K/W$   
 $R_{tot} = \frac{R_{tot A} + R_{tot B}}{2} = \frac{2.370 + 2.480}{2}$   
 $= 2.42 \quad K/W$   
 $q_{tot} = 16.0 W$ 

A

## A.3: Patio Pacific Endura Flap

The Patio Pacific Endura Flap analysis was the most advanced, and has thus been presented last.

The analysis of this pet door model can be organized into three parts:

- 1) Approximate 1-D Model
- 2) Finite Element 2-D Model
- 3) Detailed 1-D Model

The approximate analysis is very similar to the approach taken on the previous two doors, except for the non-linear factors that will be discussed.

The finite element model investigated the importance of two-dimensional effects as seen in the area that joins the riband cavity.

The detailed analysis adapts the findings of the finite element model into a I-D network model that is both simple and quite accurate.



In addition to having more terms, two of them are non-linear. The non-linear terms are Rcav and Rconvin.

3/23

The goal when solving a heat transfer problem is to obtain the temperature distribution throughout the domain. From this, other information (such as heat fluxes) can be calculated.

The Endura Flap problem is non-linear because in order to solve for the temperature distribution, values need to be used for Raw and Rawin. These resistances are convective, not conductive. Therefore, convection coefficients must be found. Because these currents are buoyancy driven, one of the many factors they depend on is temperature. And so, two of the factors used to find the solution are dependent on the solution, which is what makes this problem non-linear.

All other pieces of the Endura Flap are simple conductive resistances (like every term in the other two doors). 4/23

The correlation selected from Reference[1] for the vertical plate is

$$\overline{N_{U}} = 0.59 Rq^{1/4}.$$

This correlation is for laminar flow, which exists when  $Ra_{Hur} < 10^9$ . The Rayleigh number is defined as

$$Ra_{H_{tot}} = \frac{g \beta (T_{air,in} - T_{s,in}) H_{tot}^{s}}{V \alpha}$$

where g is the acceleration due to gravity, B is the coefficient of volumetric thermal expansion (= + for an ideal gas), V is the kinematic viscosity, and & is the thermal diffusivity. These equations show that Fin depends on the unknown inside surface temperature value, Ts, in.

Now, turning to the air inside the cavity, there are also correlations for this geometry. For cellular flow in a vertical cavity with different side wall temperatures,



An important note on the Husselt number . 
$$6/23$$
  
correlations is that they are subject to  
a list of constraints.  
When calculating R convin,  
 $\overline{Nu} = 0.59 Ra_{Hat}^{1/4}$   
assumes  $Ra_{Hat} < 10^{\circ}$  and a uniform  
surface temperature  $T_{s,in}$ .  
When calculating R cav,  
 $\overline{Nu} = 0.22 \left(\frac{Pr}{0.2+Pr} Ra_{Law}\right)^{0.23} \left(\frac{Hau}{Law}\right)^{1/4}$   
also requires uniform temperatures  $T_2$  and  $T_3$   
as well as  $Z < \frac{H}{L} < 10$   
 $Pr < 10^5$   
 $10^3 < Ra_{Law} < 10^{10}$ .  
For the cellular flow, when  $Ra_{Law} < 10^3$ ,  
viscous effects prevent any bulk thuid  
motion, leaving the stagnant air to  
function as a conductor, which  
is the case when  $\overline{Nu}_{Law} = 1.0$ .

All of these requirements will be discussed later with the solution. Now that the equations for calculating the non-linear terms have been presented, the conductive resistances will be calculated. Then, the solution will be found by using all the terms.

Calculating Rribs,  

$$R_{ribs} = \frac{L_{rib}}{k_{plastic}A_{rib}} \times \frac{1}{2}$$

$$L_{rib} = 0.180 \text{ in } = 0.0046 \text{ m}$$

$$A_{rib} = (6.42 \text{ in})(0.4 \text{ in})$$

$$= 2.568 \text{ in}^2 = 0.00166 \text{ m}^2$$

$$k_{plastic} = 0.33 \text{ W/m-K}$$

Calculating Rwall, Rwall = Lwall Rwall = Kplastic Awall

$$L_{wall} = 0.090 \text{ in} = 0.0023 \text{ m}$$
$$A_{wall} = (6.42 \text{ in})(4.45 \text{ in})$$
$$= 0.0184 \text{ m}^2$$

Kplastic = 0.33 W/m.K

Rwall = 0.379 K/W





Calculating Rmag, Atthough the actual 0.402in configuration is plastic, air, magnet, air, plastic, because they are in series the 3 equal parts will have the same resistance. 9/23

$$R_{mag} = R_{air} + R_{magnat} + R_{plastic}$$

$$= \frac{L_{mag}}{k_{air}A_{mag}} + \frac{L_{mag}}{k_{magnat}A_{mag}} + \frac{L_{mag}}{k_{plastic}A_{mag}}$$

$$L_{mag} = \frac{0.70in}{3} = 0.0059 \text{ m}$$

$$A_{mag} = (0.402in)(6.42in) = 0.00166 \text{ m}^{2}$$

$$k_{air} = 0.026 \text{ W/m} \text{ K}$$

$$K_{magnat} = 41.0 \text{ W/m} \text{ K}$$

$$k_{plastic} = 0.33 \text{ W/m} \text{ K}$$

 $R_{mag} = 146.3 \text{ K/W}$   $R_{bottom} = \left(\frac{1}{R_{p}} + \frac{1}{R_{mag}}\right)^{-1}$ 

Rbottom = 66.8 K/W

The edges have been analyzed just as before 10/2  
with the addition of two more parallel  
resistances for the plastic and magnet  
pieces of the side magnets. These conductive  
reststances combine in parallel to yield  
Redges<sub>A</sub> = 0.35 K/W  
Redges<sub>B</sub> = 1.99 K/W  
Calculating R<sub>conv,out</sub> just as before,  
R<sub>conv,out</sub> = 
$$\frac{1}{h_{e}A_{B}}$$
 = 0.376 K/W  
R<sub>conv,out</sub> =  $\frac{1}{h_{e}A_{B}}$  = 0.392 K/W

Now, only the two unknown non-linear resistances remain.

Based on preliminary calculations and estimates, the cavity will experience only small values for Ra so that NU will be close to 1.0. This information is useful in reducing the number of iterations before converging to a solution.

. 1

Every resistance in the network model is . 11/23 known except for Room, in and Row.



To begin, a value for Ny is guessed and then used to generate a value for Rcan by

Now, the door can be combined together and added with Riconviout to yield



Because Rcowin depends on Tsin, they can be solved simultaneously by developing a single implicit equation from the reduced thermal resistance network.

12/23

 $R_{1} = \frac{1}{\overline{h_{in}} A_{++}}$ hin = NU Kair H Htot  $\overline{N}_{H} = 0.59 Ra_{H++}^{V_{4}}$  (laminar) Ra<sub>Htot</sub> = <u>9B(Tairin-Tsin)Htot</u>

$$R_{i} = \left[\frac{H_{tot}}{0.59 \, k_{air} A_{tot}} \left(\frac{\mathcal{V} \mathcal{A}}{9 \, \beta H_{tot}^{3}}\right)^{1/4}\right] \frac{1}{\left(T_{air,in} - T_{s,in}\right)^{1/4}}$$

There is an insignificant error when B is linearized by setting it equal to <u>I</u> instead of <u>I</u> <u>Tair,in + Tair,out</u> <u>Z</u>

With this simplification, everything inside the brackets can be lumped into one constant, so

 $R_{1} = \frac{K_{R_{1}}}{(T_{air,in} - T_{s,in})^{V_{4}}}$
Using the network,

 $\frac{T_{air,in} - T_{s,in}}{R_1} = \frac{T_{s,in} - T_{air,out}}{R_{door} + R_{conv,out}}$ 

Substituting for R, gives

- $\frac{T_{air,in} T_{s,in}}{(T_{air,in} T_{s,in})^{V_{+}}} = \frac{T_{s,in} T_{air,out}}{R_{aloor} + R_{conv,out}}$
- $(T_{air,in} T_{s,in})^{5/4} = \frac{K_{R_1}}{R_{door} + R_{conv,out}} (T_{s,in} T_{air,out})$

13/23

The only unknown in this equation is The only unknown in this equation is The After solving for it, both R, and Thin can be calculated. Now that every resistance is known, Tz and Tz can be calculated. These temperatures are then used to calculate Ra<sub>Leav</sub> and then finally Nu. Leav. This value for NULLOW is the calculated value. To begin the next iteration, compare the calculated value to the guessed value for NULLOW and adjust accordingly.

This process must be followed in order. 14/23 to solve for both approach A and B. In the excel file Thermal Model Solutions, the iterations are started by entering a value in the indicated cell marked as "Nucbar guessed, which is on the "Approximate Patio Pacific" tab.

Then, the implicit equations are solved for approach A and B by running the solver tool on the worksheets that have been created to calculate Ts, in.

Then compare the calculated value for Nu (marked as "Nucbar calculated") to the guessed value.

After a solution was reached (Nucbar guessed & Nucbar calculated), the average value for the inside convection coefficient was

$$\bar{h}_{in} = \frac{\bar{h}_{inA} + \bar{h}_{inB}}{2} = 4.54 \frac{W}{m^2 K}$$

which was then used as the boundary condition for all other models.

The previous analysis has always made the following assumptions:

15/23

1) Heat transfer is one-dimensional.

2) Heat transfer is under steady-state conditions 3) All surfaces have a uniform temperature.

4) Material properties are constant.

5) Radiation effects are negligible.

6) Air performs as an ideal gas.

The only assumptions that need to be checked are 1) and 3). To do this, a finite element model was created to solve for the temperature distribution near the cavity and rib junction. This domain was selected because the two-dimensional effects and related non-uniform surface temperatures are most pronounced in this region of the pet door. The finite element model was created . 16/23 using Matlab's PDE Toolbox.

The following boundary conditions were used: Left (inside) surface:  $\overline{h}_{in} = 4.54 \text{ W/m:K}$ ,  $\overline{T}_{in} = 294.3 \text{ K}$ Right (outside) surface:  $\overline{h}_{out} = 31.82 \text{ W/m:K}$ ,  $\overline{T}_{airout} = 255.4 \text{ K}$ Top surface: Adiabatic (by symmetry) Bottom surface: Adiabatic (by symmetry)

The approximate I-D model yielded a solution for which Ny = 1.3. This is very close to 1.0, indicating that the air is nearly stagnant. In fact, because the Nusselt number is so low, a much more complicated finite element program that could address the convective heat transfer in the cavity more completely is not necessary for the purposes of this comparison study. Therefore, the air inside the cavity was treated as being completely stagnant so that the finite element model was solving a pure conduction problem.

Because the air was treated as a solid conductor, it is setting  $\overline{Nu} = 1.0$ . But, this corresponds to less heat transfer than when  $\overline{Nu} = 1.3$ . To more accurately capture the amount of heat transfer while still treating the dir in the conity as stagnant, a new thermal conductivity value was calculated. This effective conductivity, keep, is defined such that the stagnant fluid offers just as much resistance to heat transfer as the case when The = 1.3. This is outlined in the following equations.



Keff = NU Kair

The domain was then fit with an appropriately fine irregular mesh and solved.

17/23

The 2D solution provided a check on assumptions 1) and 3) by revealing two important pieces of information:

- 1) The heat transfer is almost entirely one-dimensional.
- 2) Although the rib and cavity surfaces both have nearly uniform temperature distributions, the surfaces have different temperature values.

Because the heat transfer can be considered one-dimensional, a thermal resistance network model is an excellent choice for accurately predicting the behavior. The nearly uniform surface temperatures also support the use of a resistance network model.

However, because the temperature differs from surface to surface, treating the door as having a single unitorm inside surface temperature and a single uniform outside surface temperature is innappropriate.

18/23

To allow the component surface temperatures to differ, each component will be combined with a convective resistance for its surface alone. By creating a parallel branch for convection from the inside air, conduction through the door component, and convection to the outside air for each piece, the network model behavior will very closely approximate the solution of the finite element model. This new network is referred to as the detailed 1-D model.

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This network allows the surface temperature 20/23of each piece to be determined independently. Unfortunately, the now non-uniform surface temperature is not in accordance with the requirement of a uniform surface temperature from the Nusselt number correlation that was used to calculate  $\overline{h_{in}}$ . However, the value of  $\overline{h_{in}} = 4.54$  w/m<sup>2</sup>K was still used in good confidence for multiple reasons.

The detailed I-D model has only one non-linear term that arises from the air cavity's temperature dependence. This was resolved by iterating to obtain Reavitives. The solution to the detailed I-D model calculates NU = 1.86. This is higher than the value of 1.3 found with the approximate I-D model, but it is still very low.

The finite element model solution that represents when Nu = 1.86 follows. H has Kop = 0.0489 W/m.K, which is the value that any foam insert for the cavity would need to be below to increase the performance.



For comparing the Endura Flap's . 22/23 performance to the other pet door models, a total heat transfer rate, grot, and a total thermal resistance, Rtot, can readily be calculated. However, due to the completely parallel nature of the detailed network, a door. resistance value, Rabor, cannot be calculated as done previously. In order to generate a value for comparison purposes, the total resistance value from the detailed 1-D analysis of the ... Endura Flap (Rtot = 5.21 K/W) was used to create an equivalent network that resembles the structure of the competitor models' as shown below.

Tairjin Tairout Riconvin eq. Robor eq. Riconviout eq. Here the total area of the Endura Plap is used to calculate the convective Rconv, out eq = \_\_\_\_\_ hout Atot

Then, an equivalent door resistance can 23/23 be calculated using

Roor eq = Root - Roonyin eq - Roony, out eq As listed in the body of the report, the final results for the Patio Pacific Endura Flap pet door are

 $R_{door} = 2.14 \text{ K/W}$  $R_{tot} = 5.21 \text{ K/W}$ 

97 = 7.5 W